

Welcome back ☺
- Pick up a clicker!



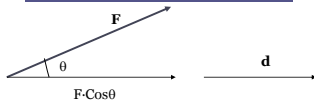
- **Warm-up: 11/30/09**
 - The land-speed record for a wheel-driven car is nearly 738 km/h. (recorded at the Bonneville Salt Flats on 10/18/01) If the mass of this car was approximately 1.0×10^3 kg, what was its kinetic energy?

Work, Energy and Power

Work

- The transfer of energy through motion
- Calculated by multiplying the magnitude of the **applied force** by the **displacement** covered in the **direction** of the force :

$$W = F \cdot d \cdot \cos\theta$$



- Units = Newton-meter (N·m) = Joule (J)

Work done by a non-constant force

- **Example:** work done by a compressed or stretched spring.
 - Calculate using a Force-displacement graph
 - Calculate the area under the line (integral)
- For a spring: work = elastic potential energy stored in spring $\rightarrow E_{\text{elastic}} = \frac{1}{2} kd^2$

Kinetic Energy (K)

- The energy a body has because it is moving

$$K = \frac{1}{2} \cdot m \cdot v^2$$



- A measure of the amount of work a moving body is capable of doing
- Work-Kinetic Energy Theorem: The amount of work done on a system is equal to its change in kinetic energy

$$W = \Delta K$$

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Sample Problem:

- A hammer head of mass 0.50 kg is moving with a speed of $6.0 \text{ m}\cdot\text{s}^{-1}$ when it strikes the head of a nail sticking out of a piece of wood. When the hammer head comes to rest, the nail has been driven a distance of 1.0 cm into the wood. Calculate the average frictional force exerted by the wood on the nail.

$$F \cdot (0.010 \text{ m}) = \frac{1}{2} \cdot (0.50 \text{ kg}) \cdot (0 - (6.0 \text{ m} \cdot \text{s}^{-1})^2)$$

$$F \cdot (0.010) = 9.0 \text{ N} \cdot \text{m}$$

$$F = \frac{9.0 \text{ N} \cdot \text{m}}{0.010 \text{ m}}$$

$$F = 9.0 \times 10^2 \text{ N}$$

Sample problem #2—use your clickers!

- A car ($m = 1150 \text{ kg}$) experiences a force of $6.00 \times 10^3 \text{ N}$ over a distance of 125 m . If the car was initially traveling at $2.25 \text{ m} \cdot \text{s}^{-1}$, what is its final velocity? $W = \Delta K$

$$(6.00 \times 10^3 \text{ N}) \cdot (125 \text{ m}) = \frac{1}{2} (1150 \text{ kg}) (v_f^2 - (2.25 \text{ m} \cdot \text{s}^{-1})^2)$$

$$1309.4 = v_f^2$$

$$36.2 \text{ m} \cdot \text{s}^{-1} = v_f$$

Potential Energy (U)

- The amount of energy that is stored in a body
- A measure of how much work *CAN* be done
- Gravitational Potential Energy:** the amount of work that can be done on a body as a result of its position above a reference point (in Earth's gravitational field)

$$E_p = mgh$$

Where m = mass (kg)

g = acceleration due to gravity ($9.81 \text{ m} \cdot \text{s}^{-2}$)

And h = height (m) above reference level

The Principle of Energy Conservation

- The total amount of energy a body possesses will remain constant, although the type of energy may be transformed from one form to another
 - Note: many times the energy transforms into a “useless” form, so it appears that energy has been lost...when it really hasn't!
- Conservation of Mechanical Energy:**

$$K_i + U_i = K_f + U_f$$

Forms of Energy:

- Thermal Energy**
 - the kinetic energy of atoms and molecules (remember, “heat” is the transfer of this energy between systems)
- Chemical energy**
 - energy associated with electronic structure of atoms and the electromagnetic force
- Nuclear energy**
 - energy associated with nuclear structure of atoms and the strong nuclear force

Forms of Energy:

- Electrical energy**
 - associated with an electric current (kinetic energy of electrons in a conductor)
- Radiant (light) energy**
 - energy associated with photons of light
- Mechanical energy**
 - associated with the movement of position of physical bodies (kinetic and potential energy)